# Polarization observables in the semiexclusive photoinduced three-body breakup of ${ }^{\mathbf{3}} \mathrm{He}$ 

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#### Abstract

The photon and ${ }^{3} \mathrm{He}$ analyzing powers as well as spin correlation coefficients in the semiexclusive threebody photodisintegration of ${ }^{3} \mathrm{He}$ are investigated for incoming photon laboratory energies $E_{\gamma}=12,40$, and 120 MeV . The nuclear states are obtained by solving three-body Faddeev equations with the AV18 nucleonnucleon potential alone or supplemented with the UrbanaIX three-nucleon force. Explicit $\pi$ - and $\rho$-meson exchange currents are taken into account, but we also compare to other models of the electromagnetic current. In some kinematical conditions we have found strong effects of the three-nucleon force for the ${ }^{3} \mathrm{He}$ analyzing power and spin correlation coefficients, as well strong sensitivities to the choice of the currents. This set of predictions should be a useful guidance for the planning of measurements. In addition, we compare our results for two-body ${ }^{3} \mathrm{He}$ breakup induced by polarized photons with a few existing data.


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## I. INTRODUCTION

The study of polarization phenomena is a natural extension of investigation of unpolarized processes. It provides additional information on details of the underlying nuclear Hamiltonian not available in unpolarized reactions. In nucleonnucleon (NN) systems the polarized processes provide a necessary data set to construct the NN potentials [1]. The investigation of nucleon-deuteron ( Nd ) elastic scattering and the deuteron breakup reaction with polarized incoming nuclei or polarization of the outgoing particles measured is indispensable to learn about properties of the three-nucleon (3N) forces. Nowadays spin observables in Nd elastic scattering where the initial deuteron and/or nucleon is polarized and also the polarization of the final particles is measured are available and can be compared with rigorous theoretical predictions [2-5]. Also for deuteron breakup such studies were performed, both experimentally [6-8] as well as theoretically $[9,10]$. Altogether, this allowed to test the current models of the nuclear Hamiltonian.

In addition to the strong forces, the electromagnetic processes contain new dynamical ingredients because of the interaction between real or virtual photons with the currents of nuclei. It was found that in such processes contributions to the nuclear current because of meson exchanges play an important role. Studies of polarization observables in photo- and electro-induced processes on the deuteron [11], as well as in the Nd radiative capture [12-16] can be used to determine the structure of nuclear currents. The combination of strong and electromagnetic interactions is a demanding test for theoretical models. The results up to now show an overall good agreement of theoretical predictions with the data; however, there is still room for improvement [17]. Recently an important progress is observed in experimental investigations of processes with polarized photons. The
high-intensity sources of highly polarized photon beams obtained by the Compton backscattering give hope for future precise data [18]. The analysis of the first measurement of the ${ }^{3} \mathrm{He}$ breakup using polarized photons at low energies is in progress and was reported recently in Ref. [19].

In this article we present the results of theoretical investigations of spin observables in kinematically incomplete $\vec{\gamma}\left({ }^{3} \overrightarrow{\mathrm{He}}, N\right) \mathrm{NN}$ processes in which the incoming photon and/or the ${ }^{3} \mathrm{He}$ nucleus are polarized. This study is done for three photon laboratory energies $E_{\gamma}=12,40$, and 120 MeV . For each photon energy, the energy spectrum of the detected outgoing nucleon at different angles has been calculated. We restrict ourselves to photon energies below the pion production threshold and have chosen the above energies as examples of low, intermediate, and high photon energies. It was shown in Ref. [20] that for those energies one can expect different manifestations of the action of the 3 N force in two-body photodisintegration of ${ }^{3} \mathrm{He}$. Although at low energies the inclusion of the three-nucleon forces decreases the cross section, at higher energies 3 N forces act in the opposite direction. At intermediate energies the influence of 3 N forces on the two- and three-body breakup cross sections is negligible. As shown in Sec. III for several spin observables the influence of 3 N forces is visible in the semiexclusive spectrum of the outgoing nucleon also at intermediate energies of the incoming photon. The presented results should be a useful guide for future experiments. Up to now, to the best of our knowledge, no such predictions have been published.

In Sec. II we shortly describe the theoretical formalism underlying our calculations and give definitions for the studied spin observables. In Sec. III we present our predictions for three-body breakup. In addition we turn into two-body ${ }^{3} \mathrm{He}$ breakup and compare our results to a few existing data. We summarize in Sec. IV.

## II. THEORETICAL FRAMEWORK

The theoretical framework we use is described in detail in Refs. [13,17,20,21]. For the convenience of the reader we briefly summarize the most important steps. The basic nuclear matrix element $N_{m_{i}, \tau, m}^{3 \mathrm{~N}}$ is expressed through the state $\left|\tilde{U}_{\tau}^{m}\right\rangle$, which fulfills the Faddeev-like equation

$$
\begin{align*}
\left|\tilde{U}_{\tau}^{m}\right\rangle= & (1+P) j_{\tau}(\vec{Q})\left|\Psi_{3_{\mathrm{He}}}^{m}\right\rangle+\left[t G_{0} P+\frac{1}{2}(1+P) V_{4}^{(1)}\right. \\
& \left.\times G_{0}\left(t G_{0}+1\right) P\right]\left|\tilde{U}_{\tau}^{m}\right\rangle . \tag{1}
\end{align*}
$$

Here $j_{\tau}(\vec{Q})$ is a spherical $\tau$ component of the ${ }^{3} \mathrm{He}$ electromagnetic current operator, $t$ the $\mathrm{NN} t$-matrix, $G_{0}$ the free 3 N propagator, and $P$ the sum of the cyclical and anticyclical permutations of three particles. Further $V_{4}^{(1)}$ is that part of the 3 NF , which is symmetrical (like the $\mathrm{NN} t$ matrix) under the exchange of nucleons 2 and 3 , and $\left|\Psi_{{ }_{3}{ }_{\mathrm{He}}}^{m}\right\rangle$ is the ${ }^{3} \mathrm{He}$ bound state with spin projection $m$. The nuclear matrix element for three-body breakup of ${ }^{3} \mathrm{He}$ is given via

$$
\begin{equation*}
N_{m_{i}, \tau, m}^{3 \mathrm{~N}}=\frac{1}{2}\left\langle\Phi_{0}^{m_{i}}\right|\left(t G_{0}+1\right) P\left|\tilde{U}_{\tau}^{m}\right\rangle \tag{2}
\end{equation*}
$$

where $\left\langle\Phi_{0}^{m_{i}}\right|$ is the properly antisymmetrized (in the twobody subsystem) state of three free nucleons with their spin projections $m_{i}$.

Given the $N_{m_{i}, \tau, m}^{3 \mathrm{~N}}$ amplitudes, one can calculate any polarization observables. They are expressed through the nuclear matrix elements with different spin projections carried by the initial photon, the ${ }^{3} \mathrm{He}$ nucleus, and by the outgoing nucleons.

Choosing the $z$ axis to be the direction of the incoming photon and allowing for a linear photon polarization $P_{0}^{\gamma}$ along the $x$ axis, with the polarization component $P_{0}^{\gamma}=-1$, and for the ${ }^{3} \mathrm{He}$ target nucleus polarization $P_{0}^{3} \mathrm{He}$ along the $y$ axis, the cross section in a kinematically incomplete reaction $\vec{\gamma}\left({ }^{3} \mathrm{He}, N\right)$, NN when the outgoing nucleon is detected at angles $(\theta, \phi)$, is given by the following:

$$
\begin{align*}
\sigma_{\gamma,{ }^{3} \mathrm{He}}^{\mathrm{pol}}(\theta, \phi)= & \sigma_{\gamma,{ }^{3} \mathrm{He}}^{\mathrm{unpol}}(\theta)\left[1+P_{0}^{\gamma} \cos (2 \phi) A_{x}^{\gamma}(\theta)\right. \\
& +P_{0}^{{ }^{3} \mathrm{He}} \cos (\phi) A_{y}^{{ }^{3} \mathrm{He}}(\theta) \\
& +P_{0}^{\gamma} \cos (2 \phi) P_{0}^{{ }^{3} \mathrm{He}} \cos (\phi) C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta) \\
& \left.+P_{0}^{\gamma} \sin (2 \phi) P_{0}^{3} \mathrm{He} \sin (\phi) C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)\right] . \tag{3}
\end{align*}
$$

Here the nonvanishing spin observables are the photon $\left[A_{x}^{\gamma}(\theta)\right]$ and the ${ }^{3} \mathrm{He}\left[A_{y}^{3} \mathrm{He}(\theta)\right]$ analyzing powers, and the spin correlation coefficients $C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ and $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$. They can be obtained by measuring the spectra of the outgoing nucleon using a proper combination of $\phi$ angles and are expressed through the nuclear matrix element $N_{m_{i}, \tau, m}^{3 \mathrm{~N}}$ by the following:
$A_{x}^{\gamma}(\theta) \equiv \frac{\sum_{m_{i} m}\left(2 \mathfrak{R}\left\{N_{m_{i},-1, m} N_{m_{i},+1, m}^{*}\right\}\right)}{\sum_{m_{i} m}\left(\left|N_{m_{i},+1, m}\right|^{2}+\left|N_{m_{i},-1, m}\right|^{2}\right)}$
$A_{y}^{3}{ }^{3 \mathrm{He}}(\theta)$
$\equiv \frac{\sum_{m_{i}}\left(-2 \Im\left\{N_{m_{i},-1,-\frac{1}{2}} N_{m_{i},-1, \frac{1}{2}}^{*}\right\}-2 \Im\left\{N_{m_{i},+1,-\frac{1}{2}} N_{m_{i},+1, \frac{1}{2}}^{*}\right\}\right)}{\sum_{m_{i} m}\left(\left|N_{m_{i},+1, m}\right|^{2}+\left|N_{m_{i},-1, m}\right|^{2}\right)}$

$$
\begin{align*}
& C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta) \\
& \equiv \frac{\sum_{m_{i}}\left(-2 \Im\left\{N_{m_{i},-1,-\frac{1}{2}} N_{m_{i},+1, \frac{1}{2}}^{*}\right\}+2 \Im\left\{N_{m_{i},-1, \frac{1}{2}} N_{m_{i},+1,-\frac{1}{2}}^{*}\right\}\right)}{\sum_{m_{i} m}\left(\left|N_{m_{i},+1, m}\right|^{2}+\left|N_{m_{i},-1, m}\right|^{2}\right)} \\
& C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta) \\
& \equiv \frac{\sum_{m_{i}}\left(2 \Im\left\{N_{m_{i},-1,-\frac{1}{2}} N_{m_{i},+1, \frac{1}{2}}^{*}\right\}+2 \Im\left\{N_{m_{i},-1, \frac{1}{2}} N_{m_{i},+1,-\frac{1}{2}}^{*}\right\}\right)}{\sum_{m_{i} m}\left(\left|N_{m_{i},+1, m}\right|^{2}+\left|N_{m_{i},-1, m}\right|^{2}\right)} . \tag{4}
\end{align*}
$$

## III. RESULTS

We solved Eq. (1) using a momentum space partial-wave decomposition and the AV18 nucleon-nucleon potential [22] alone or supplemented with the UrbanaIX 3NF [23]. The Coulomb interaction was taken into account in the ${ }^{3} \mathrm{He}$ bound state but was neglected in the final scattering states. Although at $E_{\gamma}=40$ and 120 MeV the effects of the Coulomb interaction in the final state should be rather small, at the lower energy of $E_{\gamma}=12 \mathrm{MeV}$ one can probably expect visible effects [24]. However, only a calculation with exact inclusion of the Coulomb interaction in the final state can verify this statement. For both parities and the total angular momentum of the 3 N system $J \leqslant \frac{15}{2}$ all partial waves with angular momenta in the two-body subsystem $j \leqslant 3$ have been used. We refer to Ref. [21] for more details on our basis, partial-wave decomposition and numerics. The electromagnetic nuclear current operator was taken as the single nucleon current supplemented by the exchange currents of the $\pi$ - and $\rho$-like nature [12].

Before presenting the polarization observables, for the sake of completeness, we would like to show the unpolarized cross section for the $\gamma\left({ }^{3} \mathrm{He}, N\right) \mathrm{NN}$ reaction with the detected outgoing nucleon to be a proton (Fig. 1) or a neutron (Fig. 2). We choose the detection polar angle $\theta$ to be $\theta=30^{\circ}, 60^{\circ}, 90^{\circ}$, $120^{\circ}$, or $150^{\circ}$. The spectra at $\theta=90^{\circ}$ were already presented in Ref. [20]. The structures seen in these spectra originate from an interplay between strong final-state interactions, meson exchange currents, phase-space factors, and the properties of the 3 N bound-state wave function. For example, for the neutron spectrum at $E_{\gamma}=120 \mathrm{MeV}$ and $\theta=90^{\circ}$ two peaks around $E_{n} \approx 20$ and 70 MeV come from the final-state interactions between two nucleons. The maximum around 50 MeV comes from the interplay between the two-body currents, the phasespace factors, and the properties of the ${ }^{3} \mathrm{He}$ bound-state wave function. As is seen in Figs. 1 and 2 that structure depends smoothly on the angle of the outgoing nucleon with the largest cross sections around $\theta=90^{\circ}$. The UrbanaIX 3NF effects are visible at the lower and the upper energies of the incoming photon and are nearly negligible at the intermediate energy.

The photon analyzing power $A_{x}^{\gamma}(\theta)$ is shown in Figs. 3 and 4. For photon energies $E_{\gamma}=12$ and 40 MeV and detecting protons this observable decreases with increasing proton energy and reaches values -1 and -0.8 at the highest proton energies, respectively. $A_{x}^{\gamma}(\theta)$ is rather insensitive to the 3NF at these photon energies. However, at $E_{\gamma}=120 \mathrm{MeV}$


FIG. 1. The differential cross section $d \sigma^{3} / d \Omega_{p} d E_{p}$ for $E_{\gamma}=$ 12 MeV (the first column), 40 MeV (the second column), and 120 MeV (the third column) at different outgoing proton angles. The first, second, third, fourth, and fifth row correspond to the detection angles $\theta_{p}=30^{\circ}, 60^{\circ}, 90^{\circ}, 120^{\circ}$, and $150^{\circ}$, respectively. The dashed (solid) curve represents the AV18 (AV18+UrbanaIX) predictions.

FIG. 2. The same as in Fig. 1 but for the neutron knockout.


FIG. 3. The photon analyzing power $A_{x}^{\gamma}(\theta)$ for the proton emission. The incoming photon energies, angles, and curves are the same as those in Fig 1.

FIG. 4. The same as in Fig. 3 but for the neutron knockout.

the 3NF effects become sizable, and they change the photon analyzing power by up to $\approx 10 \%$. The strongest effects are visible at protons energies around $25-50 \mathrm{MeV}$ and at lower detection angles. For the detected neutron $A_{x}^{\gamma}(\theta)$ reaches values -1 for $E_{\gamma}=12$ and 40 MeV at the upper ends of the spectra. At $E_{\gamma}=120 \mathrm{MeV}$ the value of the photon analyzing power is small (up to $\approx-0.2$ ) except in the region of maximal energies of the detected neutrons. At all investigated energies the 3 NF effects are negligible when the neutron is detected.

Contrary to a rather small 3NF effects in the photon analyzing power, the ${ }^{3} \mathrm{He}$ analyzing power $A_{y}^{3} \mathrm{He}(\theta)$ is sensitive to the action of 3 N forces (see Figs. 5 and 6). This is the case especially for the two lowest photon energies and the detected neutron and at $E_{\gamma}=12 \mathrm{MeV}$ and $E_{\gamma}=120 \mathrm{MeV}$ when the proton is measured. For the detected neutron the largest 3 NF effects of up to $15 \%$ are at $E_{\gamma}=12 \mathrm{MeV}$ and they are seen in the whole neutron spectrum. In the proton case the most interesting situation is the highest photon energy $E_{\gamma}=$ 120 MeV , where 3 NF effects of a magnitude above $\approx 20 \%$ are seen nearly for all energies of the detected proton. The action of the 3 NF shifts the predictions in the opposite directions for the lowest and the highest photon energy. Unfortunately in the case of the detected proton the 3 NF effects occur at relatively small (below 0.1) absolute values of $A_{y}^{{ }^{3} \mathrm{He}}(\theta)$. For the detected neutron 3NF effects occur also for $A_{y}^{3} \mathrm{He}(\theta) \leqslant 0.12$. However, in this case 3 NF effects are seen even at intermediate photon energy, at all neutron angles and in the whole energy range. The structure of the spectrum is again because of an interplay of all dynamical components in the nuclear matrix elements. The dependence of the nuclear analyzing power on the direction
of the outgoing nucleon is rather smooth, but the shape of the spectra changes significantly for different photon energies.

The spin correlation coefficients $C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ are shown in Figs. 7 and 8. In that case the largest 3 NF effects $(\approx 15 \%)$ occur in the whole spectrum at $E_{\gamma}=12 \mathrm{MeV}$ when the neutron is measured. Smaller 3NF effects are also visible at other photon energies; however, their magnitude depends on the detection angle. For the measured proton, 3NF effects are negligible at the two higher photon energies. The absolute values of $C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ for the detected proton (neutron) stays below $\approx 0.25(\approx 0.1)$ at $E_{\gamma}=12 \mathrm{MeV}$ and $\approx 0.4(\approx 0.25)$ at the two higher photon energies.

A similar picture arises for the spin correlation coefficients $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ (see Figs. 9 and 10). Here 3 NF effects are also visible at higher photon energies. For $E_{\gamma}=40 \mathrm{MeV}$ and the measured neutron, 3 NF effects are largest around the outgoing neutron energy $\approx 16 \mathrm{MeV}$ and $\theta=60^{\circ}-120^{\circ}$. The absolute values of $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ for neutron detection are below $\approx 0.1$ for $E_{\gamma}=$ 12 and 40 MeV and approach up to $\approx 0.4$ for $E_{\gamma}=120 \mathrm{MeV}$. For the measured proton $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ reaches $0.25,0.5$, and 0.25 for $E_{\gamma}=12,40$, and 120 MeV , respectively. In the case of the detected proton the small 3 NF effects (below $10 \%$ ) occur at all photon and nucleon energies and at all detection angles.

Now we address the sensitivity of the spin observables to the nuclear current used. To study this, we compare the predictions for the above spin observables at the detection angle $\theta=90^{\circ}$ for three different choices of the current operator: the single nucleon current (SNC) only, when the explicit two-body meson exchange currents are added to the SNC, and finally when the current operator is constructed using the Siegert theorem [12].





FIG. 6. The same as in Fig. 5 but for the neutron knockout.

FIG. 7. The spin correlation coefficients $C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ for the proton emission. The energies, angles, and curves are as those in Fig 1.




FIG. 8. The same as in Fig. 7 but for the neutron knockout.

FIG. 9. The spin correlation coefficients $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ for the proton emission. The photon energies, angles, and curves are as in Fig 1.


The Siegert approach will also include 3 N currents in the electric multipoles. We should mention, however, that in our realization of the Siegert theorem [12] we keep only single nucleon operators and do not (yet) supplement the magnetic multipoles by the explicit $\pi$ and $\rho$ exchange currents. Also the explicit $\pi$ and $\rho$ currents are not fully consistent with the underlying AV18 NN force, but only with its dominant parts [25]. For a recent investigation filling that gap see Ref. [16]. Despite these defects we think that the comparison of our Siegert approach with the explicit use of the $\pi$ and $\rho$ currents will enable us to identify those observables, which are especially sensitive to the choice of two- and possibly three-body currents.

The photon analyzing power $A_{x}^{\gamma}(\theta)$ is insensitive to such a change of the nuclear current at the lowest energy (see Fig. 11). At $E_{\gamma}=40 \mathrm{MeV}$ only a slight shift of predictions is observed under inclusion of the meson exchange currents. The effects coming from the two models of exchange currents are insignificant for the neutron knockout but lead to a small spread of theoretical predictions for the proton detection. At $E_{\gamma}=120 \mathrm{MeV}$ one finds a clear difference when the two models including exchange currents are used and when only the single nucleon current is taken into account. The difference between SNC predictions and explicit $\pi$ and $\rho$ currents (Siegert) results amounts up to $140 \%(180 \%)$ at $E_{n} \approx 20 \mathrm{MeV}$ and up to $650 \%(880 \%)$ at $E_{p} \approx 17 \mathrm{MeV}$, respectively.

For $A_{y}^{3} \mathrm{He}(\theta)$, shown in Fig. 12 the single nucleon current predictions differ from others at all photon energies. Although for the detected neutron meson exchange currents play an important role at all studied energies, in the proton case they are important only at $E_{\gamma}=120 \mathrm{MeV}$. The differences between

Siegert and MEC are visible at all photon energies. At $E_{\gamma}=$ 40 MeV they reach up to $\approx 50 \%$ for neutron energies around $5-10 \mathrm{MeV}$. The case of the measured proton around $E_{p} \leqslant$ 15 MeV and for $E_{\gamma}=120 \mathrm{MeV}$ seems to be very interesting, because the different nuclear currents lead to a different sign of $A_{y}^{3} \mathrm{He}(\theta)$ (see Fig. 12). The differences are also seen for the spin correlation coefficients $C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ and $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$, presented in Figs. 13 and 14. For $C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ and the measured neutron there are clear differences, when using Siegert approach or direct $\pi$ - and $\rho$ - currents. They amount up to $\approx 50 \%$ at $E_{\gamma}=40 \mathrm{MeV}$. For both cases, the neutron or proton detection, and $E_{\gamma}=12 \mathrm{MeV}$ the predictions without 3NF differ significantly, whereas the inclusion of the UrbanaIX force leads to an agreement between both predictions. Both spin correlation coefficients are strongly influenced by the meson exchange currents. Even at $E_{\gamma}=$ 12 MeV single nucleon current predictions differ significantly from results based on the nuclear current supplemented by exchange currents. The role of exchange currents grows with the photon energy. In the case of $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta), E_{\gamma}=40 \mathrm{MeV}$ and proton energies below $E_{p} \leqslant 9 \mathrm{MeV}$, we observe different action of the exchange currents when they are included via Siegert or by the explicit $\pi$ and $\rho$ exchanges. It shows that this observable is very interesting to study details of the nuclear current operator and deserves experimental efforts.

Despite the fact that our nuclear current operator suffers mentioned above theoretical defects, we can state that the spin observables in the $\vec{\gamma}\left({ }^{3} \overrightarrow{\mathrm{He}}, N\right) \mathrm{NN}$ reaction can provide interesting information about the nuclear current operator. However, the particular results obtained in this article should


FIG. 11. The photon analyzing power $A_{x}^{\gamma}(\theta)$ for the neutron (left column) and the proton (right column) at $E_{\gamma}=12 \mathrm{MeV}$ (the first row), 40 MeV (the second row), and 120 MeV (the third row). The nucleon detection angle is $\theta=90^{\circ}$. The double-dot-dashed line corresponds to AV18 predictions with nuclear current taken as single nucleon current only. The dashed (solid) line corresponds to AV18 (AV18+UrbanaIX) predictions based on single nucleon current supplemented by $\pi-$ and $\rho-$ meson exchange currents. The dotted (dash-dotted) line corresponds to AV18 (AV18+UrbanaIX) predictions with many-body contributions to the current taken into account via the Siegert theorem.


FIG. 12. The same as in Fig. 11 but for the nuclear analyzing power $A_{y}^{3 \mathrm{He}}(\theta)$.


FIG. 13. The same as in Fig. 11 but for the spin correlation coefficients $C_{x, y}^{\gamma,{ }^{,} \mathrm{He}}(\theta)$.
be checked when defects in both approaches are removed and when a current operator fully consistent with the nuclear forces will be applied.

Finally, we address ourselves to the $\vec{\gamma}\left({ }^{( } \overrightarrow{\mathrm{He}}, p\right) d$ process and compare our results with the data of Ref. [26]. There the


FIG. 14. The same as in Fig. 11 but for the spin correlation coefficients $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$.


FIG. 15. The cross section asymmetry $\Sigma$ at $E_{\gamma}=120 \mathrm{MeV}$. The dashed (solid) curve represents the AV18 (AV18+UrbanaIX) predictions. Data are from Ref. [26].
cross-section asymmetry

$$
\begin{equation*}
\Sigma \equiv \frac{d \sigma_{\|}-d \sigma_{\perp}}{d \sigma_{\|}+d \sigma_{\perp}} \tag{5}
\end{equation*}
$$

where $d \sigma_{\|}\left(d \sigma_{\perp}\right)$ is the cross section measured parallely (perpendicularly) to the photon polarization direction and was investigated for linearly polarized photons with energies above 90 MeV . In Fig. 15 we compare our predictions to the data of Ref. [26] at the photon energy $E_{\gamma}=120 \mathrm{MeV}$. We see that two of the three data points are in good agreement with our theory. Our prediction at the third data point is too low in comparison to data. The 3 NF shifts the theory in the right direction into the two data points. Unfortunately, most of the data points taken in [26] are at photon energies above the pion production threshold where our formalism is not adequate. Nevertheless, in Fig. 16 we compare our predictions with data at $E_{\gamma}=200 \mathrm{MeV}$ to check if our predictions at higher energies give at least a qualitative description of the data. We see that although the shape of the theoretical predictions is similar to the shape of the data, the absolute values of the predicted analyzing power are too small by a factor of 2 . This probably can be traced back to the missing dynamical ingredients in our theoretical framework, which may become important at such high energies. As was the case at $E_{\gamma}=120 \mathrm{MeV}$, also at $E_{\gamma}=200 \mathrm{MeV}$ the 3NF improves the description of the data. Because our calculations are much more advanced than the one used in Ref. [26], we would like to point out that the very good description of the data presented in Ref. [26] might be to some extent accidental.

## IV. SUMMARY

We investigated all the nonvanishing spin observables in the three-body, semiexclusive ${ }^{3} \mathrm{He}$ photodisintegration


FIG. 16. The cross section asymmetry at $E_{\gamma}=200 \mathrm{MeV}$. Curves as in Fig. 15. Data are from Ref. [26].
process when the incoming photon and/or the ${ }^{3} \mathrm{He}$ target nucleus are polarized. We found that the dependence of those spin observables on the angle of the outgoing nucleon is rather smooth and in most cases the shape of the energy spectra slightly changes with the incoming photon energy. In the case of the $A_{y}^{3} \mathrm{He}(\theta)$ analyzing power and the spin correlation coefficients $C_{x, y}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ and $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ clear effects of the 3NF are seen. Some of the observables [e.g., $C_{y, x}^{\gamma,{ }^{3} \mathrm{He}}(\theta)$ ] are sensitive to the details of the manybody contributions to the nuclear current operator, which we examplified by using the single nucleon current alone and by supplementing it either with explicit inclusion of $\pi$ and $\rho$ meson exchange currents or by applying the Siegert theorem.

The presented results show that the polarization observables for ${ }^{3} \mathrm{He}$ photodisintegration, even in the relatively simple semiexclusive experiments, could provide valuable data to test the nuclear forces and/or the reaction mechanism. These observables should be studied experimentally. Conversely, there are observables [e.g., $A_{x}^{\gamma}(\theta)$ at $E_{\gamma}=12 \mathrm{MeV}$ ] that are insensitive to the choosen current operator model and to the inclusion of the 3 N force. Such observables are natural candidates to test the most simple dynamical ingredients.

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[1] V. G. J. Stoks, R. A. M. Klomp, M. C. M. Rentmeester, and J. J. de Swart, Phys. Rev. C 48, 792 (1993).
[2] H. Witała, W. Glöckle, J. Golak, A. Nogga, H. Kamada, R. Skibiński, and J. Kuroś-Żołnierczuk, Phys. Rev. C 63, 024007 (2001).
[3] H. Witała, J. Golak, R. Skibiński, C. R. Howell, and W. Tornow, Phys. Rev. C 67, 064002 (2003).
[4] E. Epelbaum, A. Nogga, W. Glöckle, H. Kamada, Ulf-G. Meißner, and H. Witała, Phys. Rev. C 66, 064001 (2002).
[5] A. Kievsky, S. Rosati, and M. Viviani, Phys. Rev. C 64, 041001(R) (2001).
[6] M. Allet et al., Phys. Rev. C 50, 602 (1994).
[7] L. M. Qin et al., Nucl. Phys. A587, 252 (1995).
[8] E. Stephan et al., in Proceedings of The 19th European Conference on Few-Body Problems in Physics, edited by N. Kalantar-Nayestanaki, R. G. E. Timmermans, and B. L. G. Bakker, AIP Conf. Proc. 768 (AIP, Melville, NY, 2005), p. 73.
[9] J. Kuroś-Żołnierczuk, H. Witała, J. Golak, H. Kamada, A. Nogga, R. Skibiński, and W. Glöckle, Phys. Rev. C 66, 024003 (2002).
[10] J. Kuroś-Żołnierczuk, H. Witała, J. Golak, H. Kamada, A. Nogga, R. Skibiński, and W. Glöckle, Phys. Rev. C66, 024004 (2002).
[11] H. Arenhövel, W. Leidemann, and E. L. Tomusiak, nuclth/0407053, and references therein.
[12] J. Golak, H. Kamada, H. Witala, W. Glocke, J. Kuros, R. Skibiński, V. Kotlyar, K. Sagara, and H. Akiyoshi, Phys. Rev. C 62, 054005 (2000).
[13] R. Skibiński, J. Golak, H. Kamada, H. Witała, W. Glöckle, and A. Nogga, Phys. Rev. C 67, 054001 (2003).
[14] M. Viviani, A. Kievsky, L. E. Marcucci, S. Rosati, and R. Schiavilla, Phys. Rev. C 61, 064001 (2000).
[15] A. Deltuva, L. P. Yuan, J. Adam, Jr., A. C. Fonseca, and P. U. Sauer, Phys. Rev. C 69, 034004 (2004).
[16] L. E. Marcucci, M. Viviani, R. Schiavilla, A. Kievsky, and S. Rosati, Phys. Rev. C 72, 014001 (2005).
[17] J. Golak, R. Skibiński, H. Witała, W. Glöckle, A. Nogga, and H. Kamada, Phys. Rep. 415, 89 (2005).
[18] W. Tornow et al., Phys. Lett. B574, 8 (2003).
[19] W. Tornow et al., in Proceedings of The 19th European Conference on Few-Body Problems in Physics, edited by N. Kalantar-Nayestanaki, R. G. E. Timmermans, and B. L. G. Bakker, AIP Conf. Proc. 768 (AIP, Melville, NY, 2005), p. 138.
[20] R. Skibiński, J. Golak, H. Witała, W. Glöckle, H. Kamada, and A. Nogga, Phys. Rev. C 67, 054002 (2003).
[21] W. Glöckle, H. Witała, D. Hüber, H. Kamada, and J. Golak, Phys. Rep. 274, 107 (1996).
[22] R. B. Wiringa, V. G. J. Stoks, and R. Schiavilla, Phys. Rev. C 51, 38 (1995).
[23] B. S. Pudliner, V. R. Pandharipande, J. Carlson, S. C. Pieper, and R. B. Wiringa, Phys. Rev. C 56, 1720 (1997).
[24] A. Deltuva, A. C. Fonseca, and P. U. Sauer, Phys. Rev. C 71, 054005 (2005).
[25] J. Carlson and R. Schiavilla, Rev. Mod. Phys. 70, 743 (1998).
[26] A. A. Belyaev et al., Sov. J. Nucl. Phys. 44, 181 (1986).

